

Python for Economists

EconBrew Series

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Georgetown University

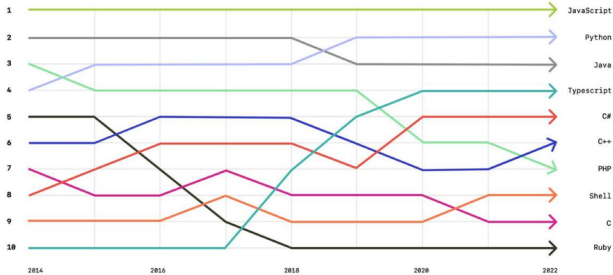


Trends



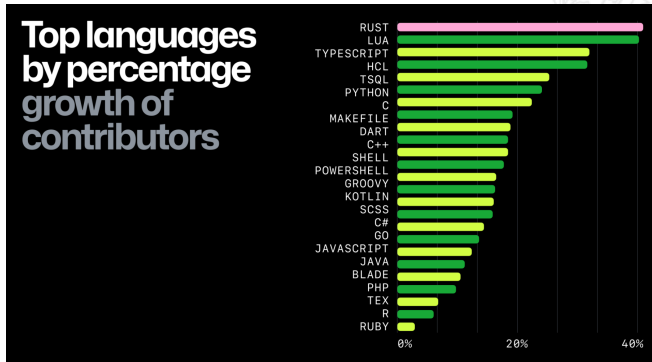
GitHub Developer Survey

Python is the second most popular programming language (by usage):



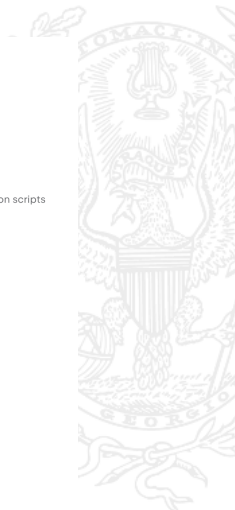
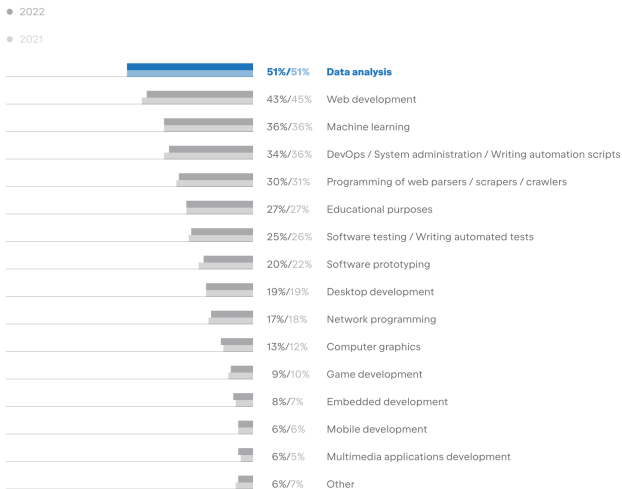
Top programming languages on GitHub in 2022 (Source: GitHub)

Python adoption continues to climb.



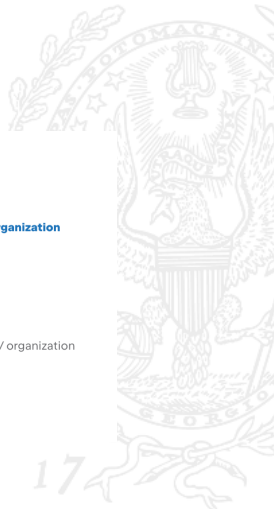
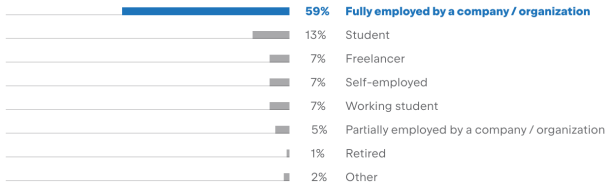
Python Developer Survey

Uses of Python:



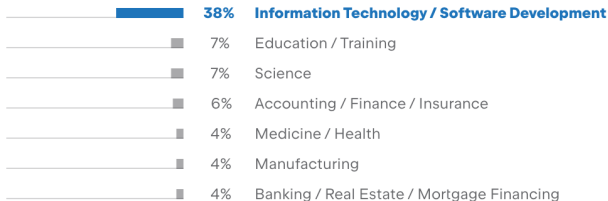
Python is mainly used by professionals.

Employment status



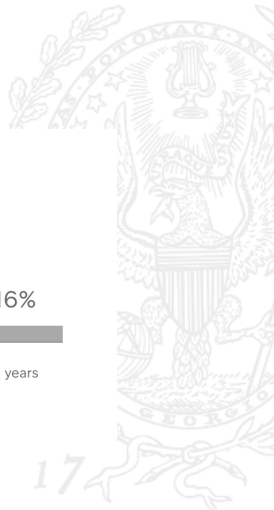
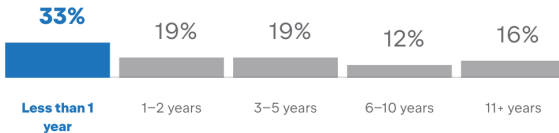
Python is mainly used in information technology, education, and research.

Company industry



Most Python users are newcomers.

Professional coding experience



Overview



Why Python?

Pros:

- Free, Open Source
- Easy to learn, write, read, debug
- Mature package ecosystem
- Fast in development time

Cons:

- Slow execution due to Dynamic Types
 - Sol: Type-Hints, Multithreading, Compilers (Cython, Numba, JAX)



Example - I

$$\forall x \in \mathbb{X}, V_{i+1}(x) \leftarrow \max_{0 \leq x' \leq x} [\sqrt{x - x'} + \beta V_i(x')]$$

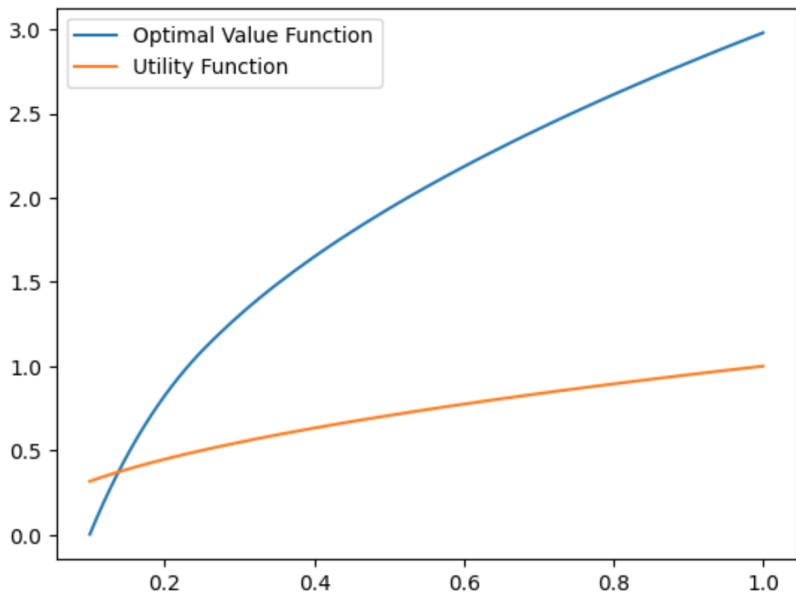
```
# Packages
import numpy as np
import matplotlib.pyplot as plt

# Parameters and Arrays
beta = 0.95
grid = np.linspace(0.1, 1, 100)
v_old = np.sqrt(grid)
v_new = np.sqrt(grid)

# Value Function Iteration
for i in range(100):
    for idx, cake in enumerate(grid):
        v_new[idx] = np.max((np.sqrt(cake - grid) + beta * v_old)[grid <= cake])
    v_old[:] = v_new

# Plot
plt.plot(grid, v_old, label = 'Optimal Value Function')
plt.plot(grid, np.sqrt(grid), label = 'Utility Function')
plt.legend()
plt.show()
```

Example - I



Example - II

```
# Packages
from statsmodels.sandbox.regression.gmm import IV2SLS
import pandas as pd

# Matrices
df = pd.read_csv('wage_data.csv')
Y = df[['wage']]
X = df[['educ', 'IQ', 'KWW', 'exper', 'tenure', 'age', 'married', 'black', 'south', 'urban']]
Z = df[['IQ', 'KWW', 'exper', 'tenure', 'age', 'married', 'black', 'south', 'urban', 'sibs', 'brthord', 'meduc', 'feduc']]

# Fit
X = sm.add_constant(X)
Z = sm.add_constant(Z)
IV2SLS = IV2SLS(Y, X, instrument = Z).fit()
print(IV2SLS.summary())
```

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Example - III

```
# Packages
import pyblp
import numpy as np
import pandas as pd

# Product Characteristics
product_char = pd.read_csv(pyblp.data.BLP_PRODUCTS_LOCATION)
product_char_spec = (pyblp.Formulation('1 + hpwt + air + mpd + space'), # linear coeff
                    pyblp.Formulation('1 + prices + hpwt + air + mpd + space'), # random coeff
                    pyblp.Formulation('1 + log(hpwt) + air + log(mpg) + log(space) + trend')) # cost coeff

# Demographics
demog = pd.read_csv(pyblp.data.BLP_AGENTS_LOCATION)
demog_spec = pyblp.Formulation('0 + I(1 / income)')

# Initialize
BLP1995 = pyblp.Problem(product_char_spec, product_char, demog_spec, demog, costs_type='log')
sigma0 = np.diag([3.612, 0, 4.628, 1.818, 1.050, 2.056])
pi0 = np.c_[[0, -43.501, 0, 0, 0, 0]]

# Solve
results = BLP1995.solve(sigma0, pi0, costs_bounds=(0.001, None))
```

General Packages

- **Arrays and Data**

numpy, pandas, dask

- **Plots**

matplotlib, seaborn

- **Solvers**

scipy, sympy, fenicsx

- **Machine Learning**

sklearn, lightgbm

- **Deep Learning**

torch, tensorflow, jax

- **Web-Scraping**

requests, bs4, selenium

- **Text**

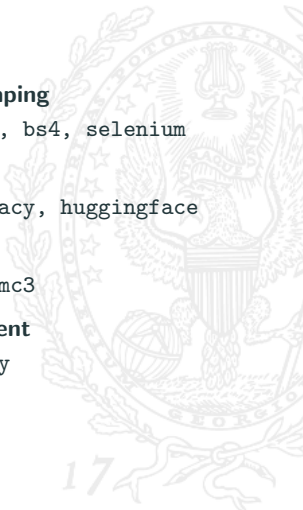
nlTK, spacy, huggingface

- **Bayesian**

stan, pymc3

- **Multi-Agent**

mesa, ray



Econ-Specific Packages

- **Econometrics**

statmodels, linearmodels,
pingouin, econml

- **Industrial Org.**

pyBLP, torch-choice, nashpy

- **Macroeconomics**

econpizza, sequence-jacobian

- **Time Series**

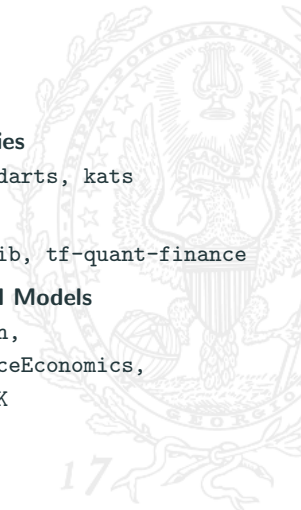
pyflux, darts, kats

- **Finance**

vnpy, qlib, tf-quant-finance

- **Structural Models**

quantecon,
OpenSourceEconomics,
econ-HARK



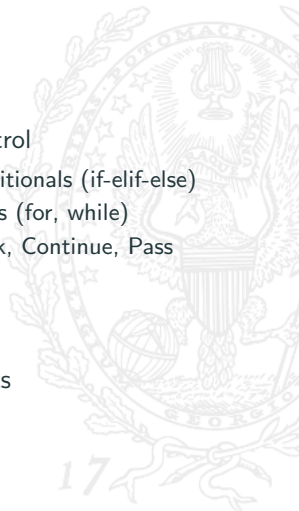
Python Syntax



- Installing Python
- pip: Package Installation
- venv: Virtual Environments
- How to use Python?
 - Command Line Interface (CLI)
 - Scripts
 - IDEs - Spyder, Visual Code Studio
 - Jupyter Notebooks
 - **Cloud - Google Collab**



- Variables and Assignment
 - Strings
 - Int, Float
- Data Structures
 - List
 - Numpy Arrays
 - Pandas Dataframe
 - Others: Dict, Tuple, Set
- Flow control
 - Conditionals (if-elif-else)
 - Loops (for, while)
 - Break, Continue, Pass
- Functions
- Classes
- Comments



- Common Errors
 - Syntax Error
 - Runtime Error
- Diagnosis
 - Traceback
 - try-except
- How to get help?
 - help()
 - ChatGPT
 - Stack Overflow
 - Package Documentation

A typical Python project:

```
README.md  
LICENCE.txt  
requirements.txt  
main.py  
utils.py  
data/  
    data.csv
```



Research with AI/ML



Backpropagation

PyTorch, TensorFlow, and JAX permit backpropagation through a combination of arbitrary functions on data arrays.

- X is data array.
- $g_1(X; \beta) = \beta'X$
- $g_2(Y; \gamma) = e^{\gamma Y}$
- $g_3(Z; \tau) = \log \tau Z$
- $g(X; \beta, \gamma, \tau) = g_3(g_2(g_1(X)))$
- Backprop gives us: $\frac{dg}{d\beta}, \frac{dg}{d\gamma}, \frac{dg}{d\tau}$
- This allows us to tweak (β, γ, τ) to increase $g(X)$

This enables the construction and solution of complex objective functions.

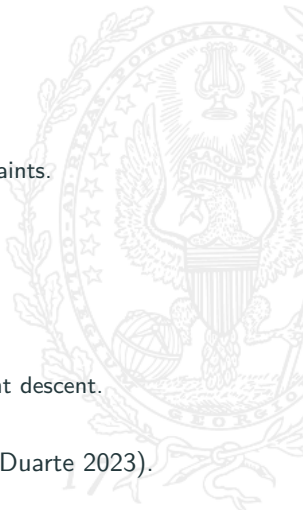


- Causal Inference with high dimensional X or Z .
 - $Y_i = \beta T_i + g(X_i; \theta) + \epsilon_i$
 - $Y_i = g_1(X_i; \theta) T_i + g_2(X_i; \theta) + \epsilon_i$
 - Chernozhukov et al 2018, Farrell et al 2021
- Discrete Choice with High Dimensional X :
 - $s_j = \frac{e^{\delta_j}}{\sum_k e^{\delta_k}}$
 - $\delta_j = \alpha p_j + g(X_j; \theta) + \xi_j$
 - Quan and Williams 2021



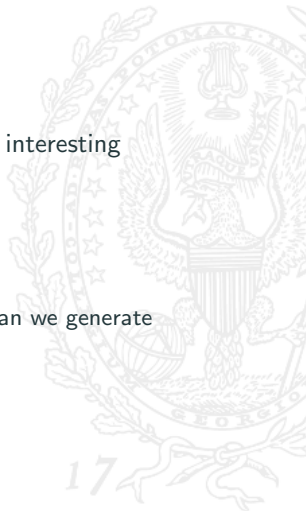
Solving Dynamic Models

- Using neural nets to represent decision rules:
 - Neural Network: $c_t = g(k_t; \theta)$
 - Objective: $J(\theta) = E_{\epsilon, k_0} \left[\sum_{t=0}^T \beta^t u(c_t) \right]$
 - Optimize θ to maximize $J(\theta)$ subject to constraints.
 - Maliar et al 2021
- Maximum Likelihood Models:
 - $y_i = g(x_i, \epsilon_i; \theta)$
 - $P(y_i|x_i, \theta) = \int 1\{y_i = g(x_i, \epsilon_i; \theta)\} dP(\epsilon_i)$
 - $\theta^{MLE} = \operatorname{argmin} \frac{1}{N} \sum_i \log P(y_i|x_i, \theta)$
 - if argmin step is infeasible, then we use gradient descent.
 - Wei and Jiang 2021
- Can solve non-linear PDEs using deep learning (Duarte 2023).



Hypothesis Generation

- When $X \rightarrow Y$ mapping is used to generate an interesting hypothesis.
 - X : mugshot of prisoner
 - Y : bail assignment
 - D : numerical attributes
 - Can X predict Y beyond what D can? If so, can we generate hypothesis X' and study its prediction of Y .
 - Ludwig and Mullainathan (2023)



Embeddings

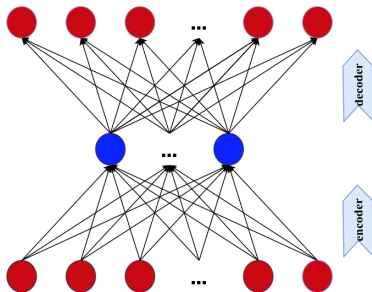
- Latent Factors:

- $Y_i = \beta * Z_i + \epsilon_i$
- Z_i is low dimensional representation of X_i
- Obtained from a hidden-layers of a neural net s.t. $W_i = g(X_i; \theta)$
- Asset Pricing Factors (Gu et al., 2021), Demand for Fonts (Han et al., 2021)

Output layer

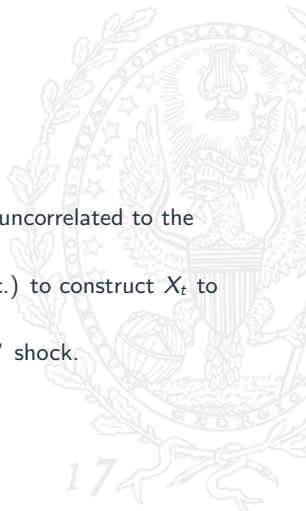
Hidden layer(s)

Input layer



- Monetary Policy Shocks:

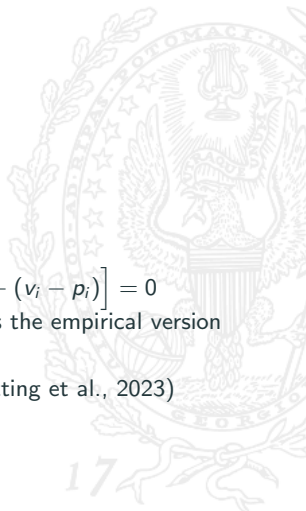
- $i_t = g(X_t; \theta) + \epsilon_t$
- We want to extract ϵ_t which represents shock uncorrelated to the rest of the economy.
- Use any data (blue book, macro indicators, etc.) to construct X_t to predict i_t using neural networks.
- The residual will necessarily be an “exogenous” shock.
- Aruoba and Drechsel (2022)



- Learning through Reinforcement
 - Policies: $a_t = g(s_t; \theta)$
 - Value function: $V(s) = g(s; \theta)$
 - Sample actions through trial and error and improve valuations.
 - Momentum and Reversals in Artificial Stock Markets (Chiarella et al 2016, Maeda et al 2020).



- Myerson Auctions as a Deep Learning Problem
 - Valuations $\vec{v} \sim F$, Bids \vec{b}
 - Auction: Allocation $g(\vec{b}; \theta)$, Pricing $p(\vec{b}; \gamma)$
 - Maximize Exp Revenue: $E_{v \sim F} [\sum_i p_i(b; \gamma)]$
 - Constraint: $\forall i$, given v_{-i} , $E_{v_i} [\max_{v'_i} (v'_i - p_i) - (v_i - p_i)] = 0$
 - Sample valuations v and find (θ, γ) that solves the empirical version of the problem.
 - Optimal Auctions through Deep Learning (Dutting et al., 2023)



Conclusion

What AI/ML can offer Economics beyond Prediction:

- **Heterogenous Treatment Effects**
- **Handling High-Dimensional Covariates**
- **Dimensionality Reduction**, Latent Factors
- Solving Theoretical Models - Macro, IO, Auctions, Finance
- Estimating Models with Data
- Extracting Exogenous Components
- Modelling Agent Learning
- Hypothesis Generation

Highlighted topics are especially useful in industry.



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